

## ERRATA

*Fisbery Bulletin*, Vol. 76, No. 2

Fletcher, R. Ian., "Time-dependent solutions and efficient parameters for stock-production models," p. 377-388.

- 1) Page 377, right column, line 4, correct line to read:  
growth rate  $k$  and  $B_\infty$ , Graham's formula for latent
- 2) Page 378, left column, Equation (2), correct equation to read:  
 $\dot{P}(B) = c_1 B + c_2 B^n$ , (2)
- 3) Page 378, left column, line 14, correct line to read:  
antecedents of this analysis appear there.
- 4) Page 378, right column, line 7, correct line to read:  
by average effort  $\bar{f}$  on the assumption that  $F =$
- 5) Page 379, left column, the equation that immediately follows Equation (1a), correct equation to read:

$$k = \frac{4m}{B_\infty} \left[ \equiv 4 \frac{\dot{P}_{\max}}{B_{\max}} \right].$$

- 6) Page 381, right column, line 4, correct line to read:  
Equation (6),  $\dot{B} = 0$ ,  $F = F_1$  and  $B = B_1$ . If we now
- 7) Page 381, right column, line 28, correct line to read:  
 $F = 2m/B_\infty$ ; stock size  $B(t) \rightarrow p$  ( $p$  being
- 8) Page 383, right column, Equation (15), correct equation to read:  
 $\dot{B} = \gamma m \left[ \frac{B}{B_\infty} \right] - \gamma m \left[ \frac{B}{B_\infty} \right]^n - FB$ . (15)
- 9) Page 383, Figure 5, caption under right figure, line 3, correct line to read:  
 $\dot{P}_{\max}$  in Equation (12)].
- 10) Page 385, left column, line 14, correct line to read:  
then  $B(t) \rightarrow p$  and  $\dot{Y} \rightarrow m$ , irrespective of initial con-